

Atmospheric Fate of HOHgO: the Hg(II) Product of OH-Initiated Oxidation of Hg(0)

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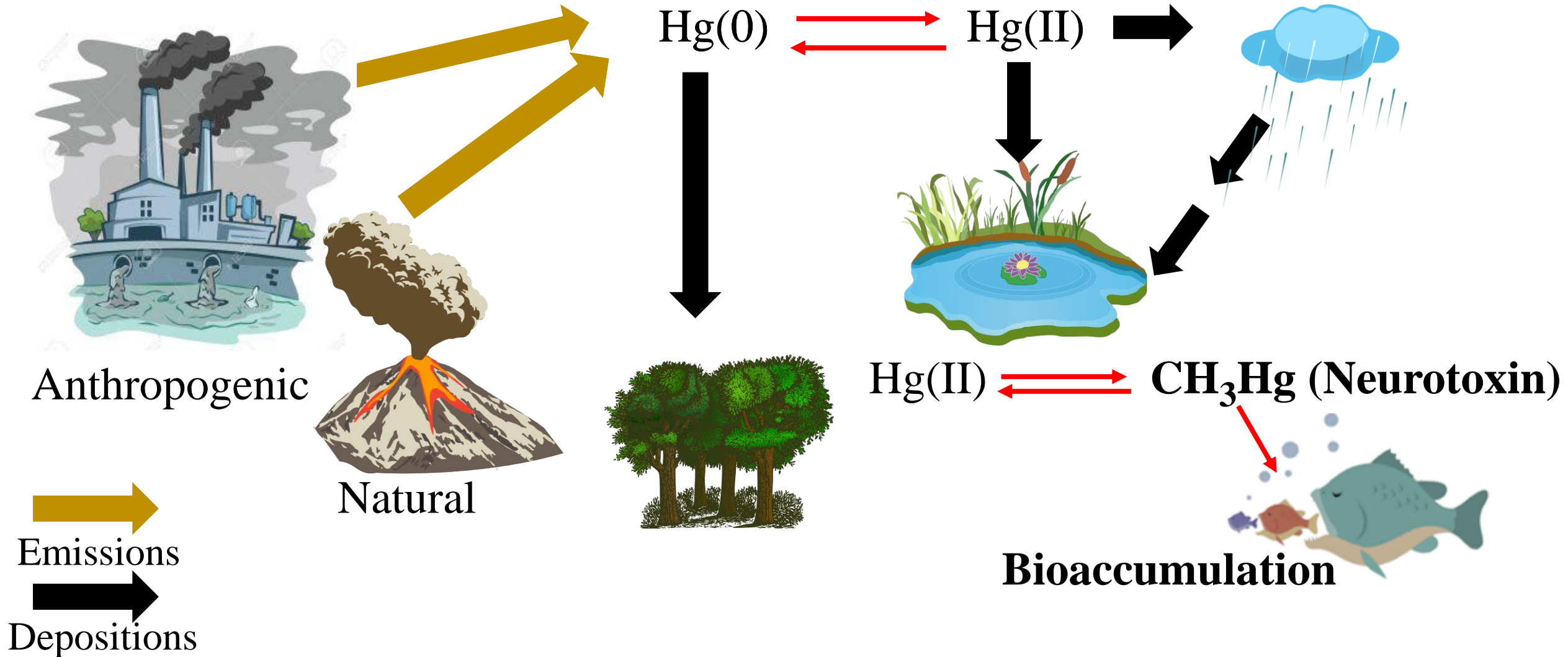
July 2022

Outline

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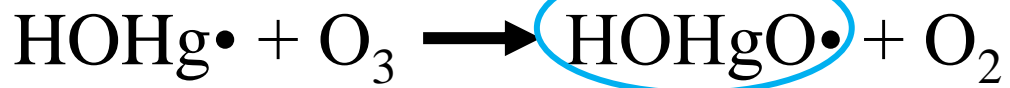
Background

Hg- Global Pollutant



Formation and Fate of HOHgO•

Formation in Two Steps



Thermally Stable



Reactions of HOHgO• ?

Stable Hg(II) ? or

Reduced to Hg(I) or Hg(0) ?

O₃ – Major HOHg• Oxidant

[O₃] >> Σ[Radicals]

k(Hg^(I) + O₃) high and T-independent

Gomez Martin et al. *PCCP* 2022

P. J. Castro et al. *submitted*. (see Dr. Dibble's talk in Atmospheric Hg cycling)

Objective

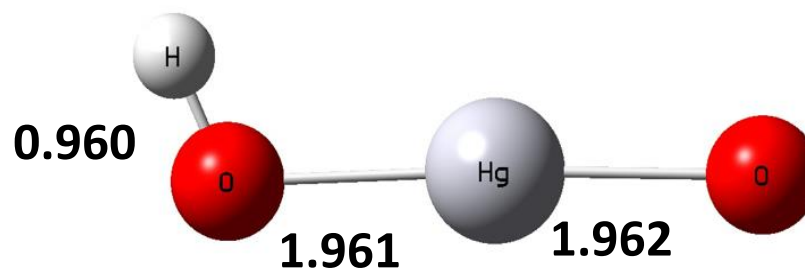
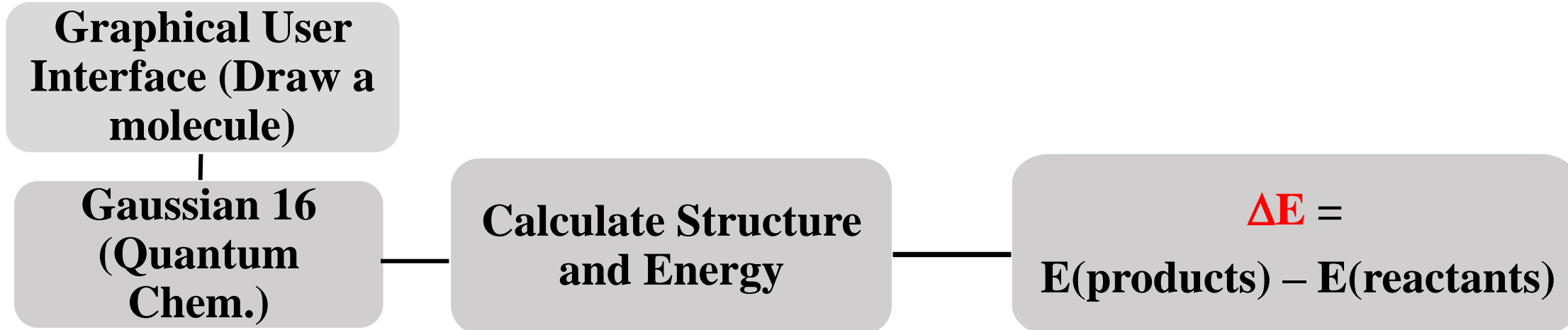
Determine the fate of HOHgO• in the atmosphere

Reactions with trace gases (NO, NO₂, CH₄, CH₂=CH₂, CH₂O, CO)

1. Determine thermodynamics and barriers to reaction
2. Determine (or recommend) rate constants

No experimental detection of HOHgO• (even in lab)

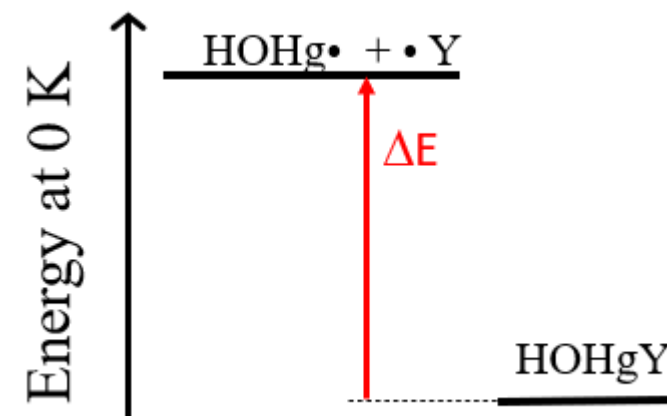
Computational Method



Statistical Mechanics:

$$\Delta H_r^\circ(T) \text{ \& } \Delta G_r^\circ(T)$$

$k(T)$ after optimizing structures of transition states

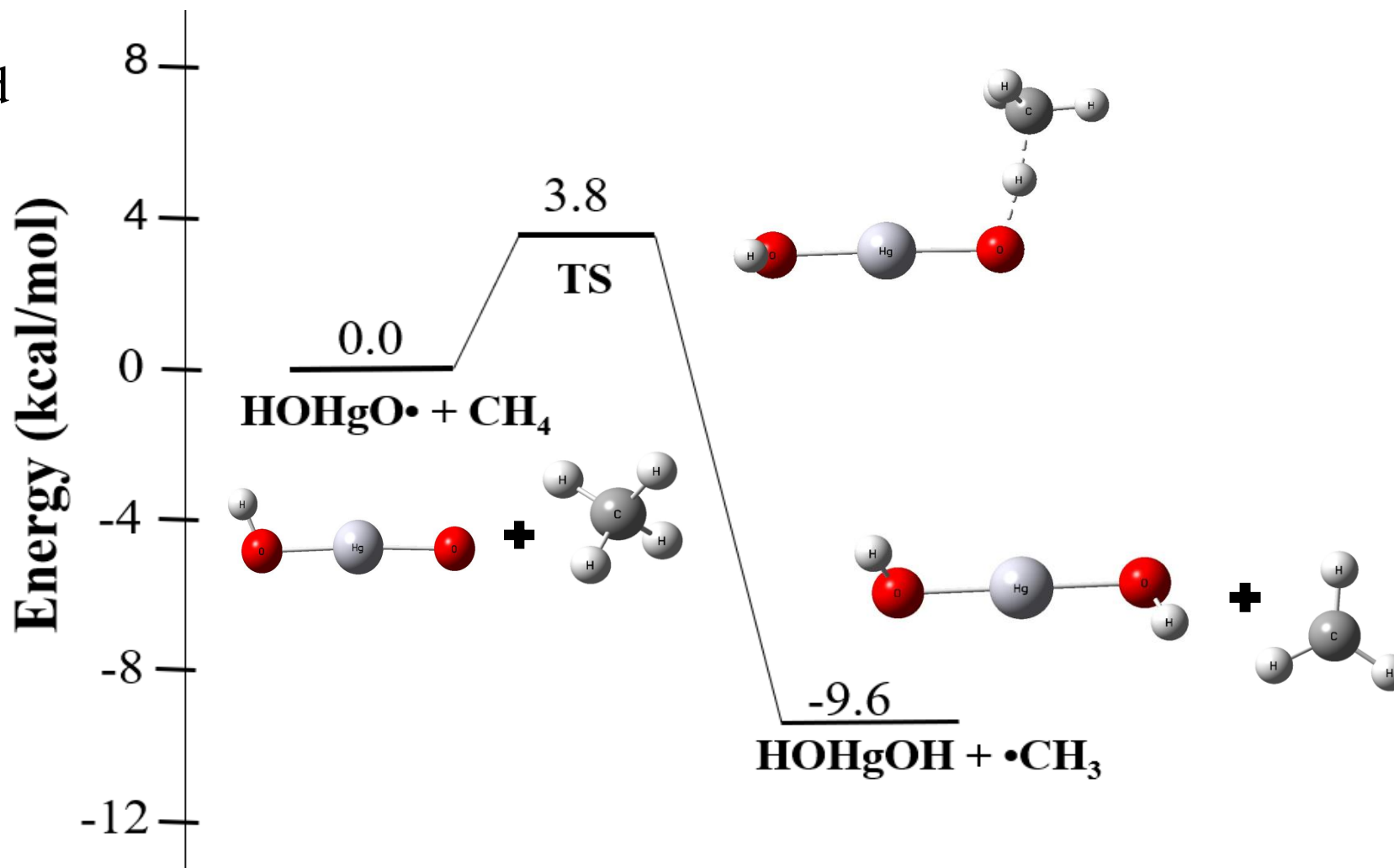




H Abstraction

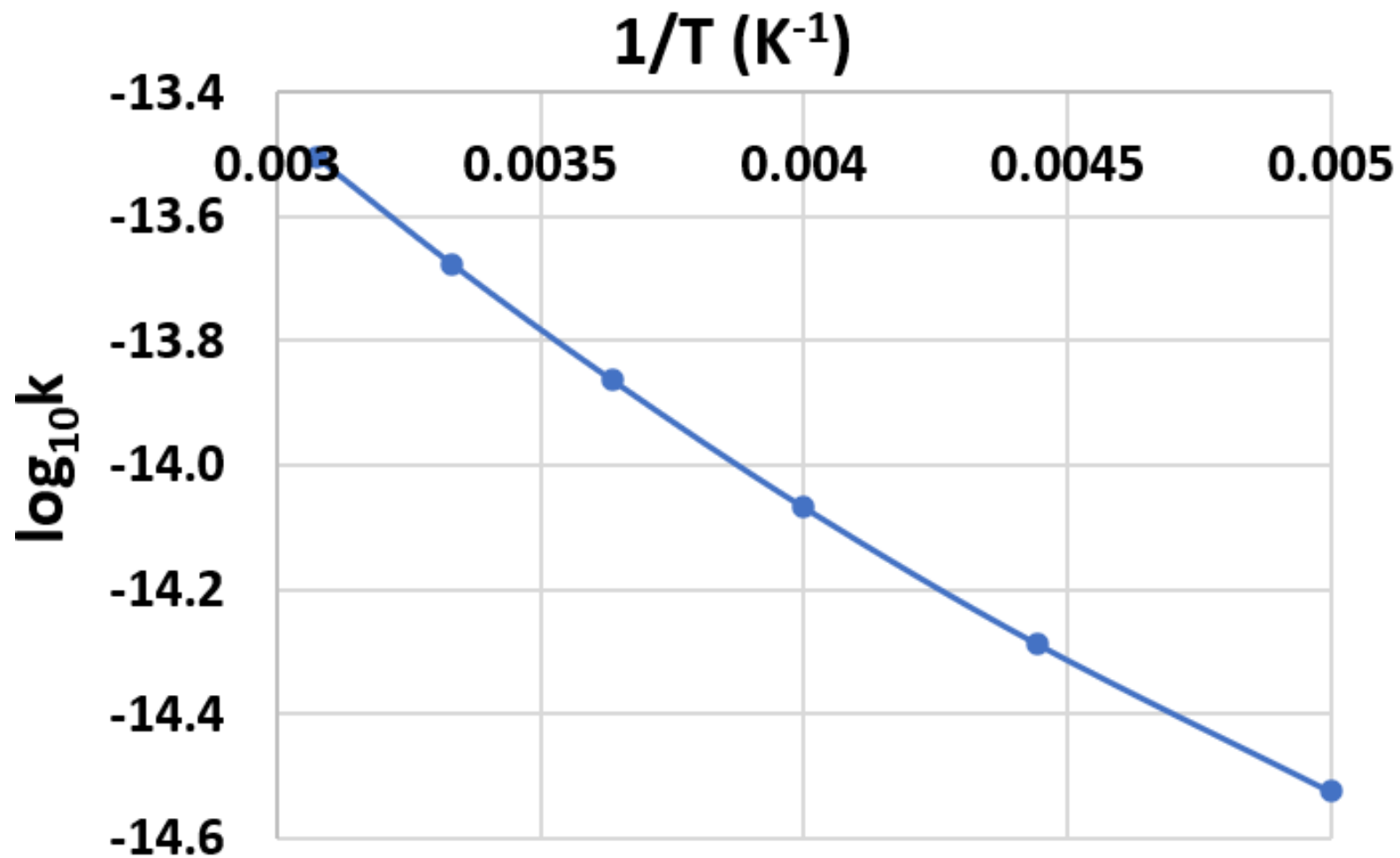


↓
Model Compound





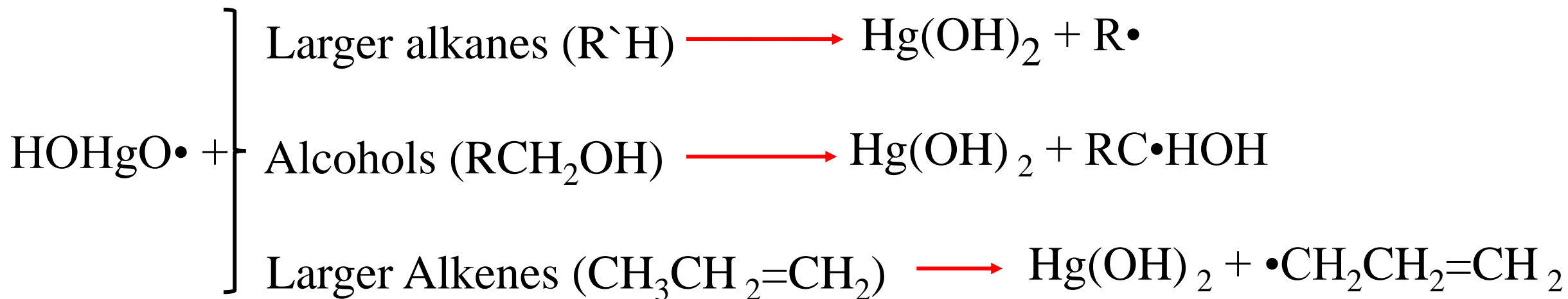
□ Rate constant 20 x higher than $\text{OH}\cdot + \text{CH}_4$



$200 \text{ K} \leq T \leq 325 \text{ K}$

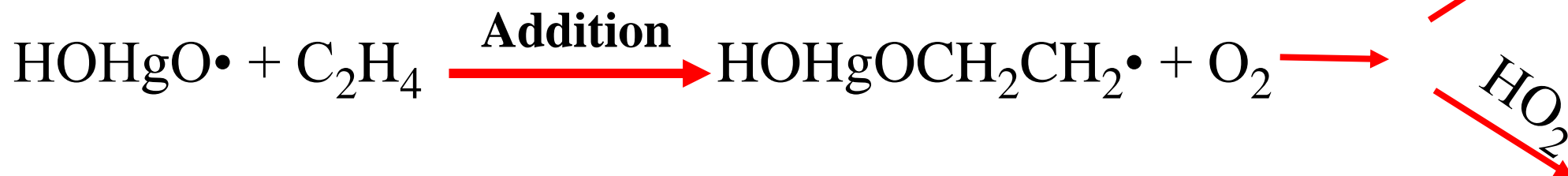


H-abstraction from other organics should be faster (higher k)





$\text{HOHgO}\cdot$ adds to C_2H_4 (sp^2)

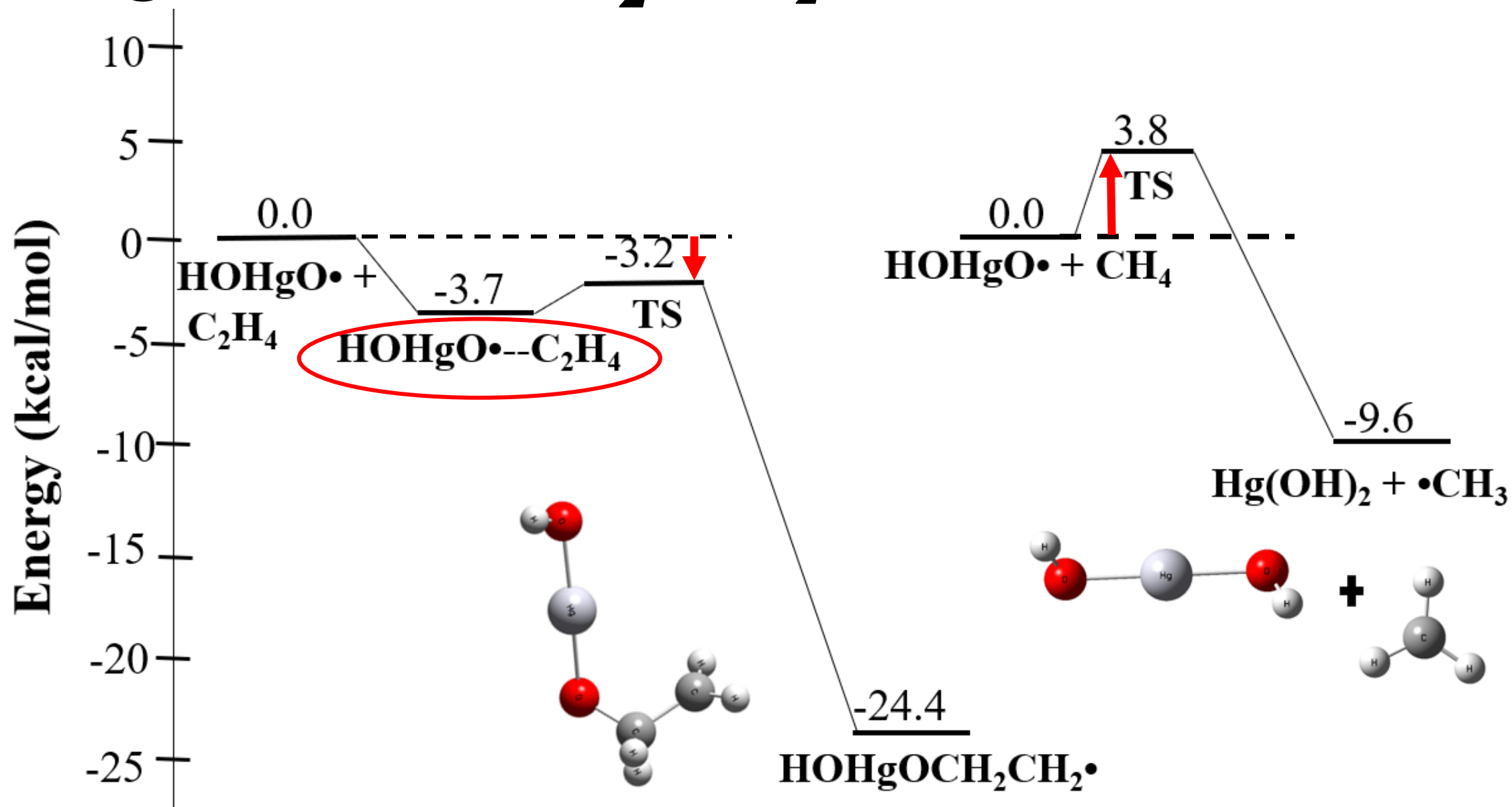


Rate constant (analogy to $\text{BrHgO}\cdot$) ~ 4 x slower than $\text{OH}\cdot + \text{C}_2\text{H}_4$

Differences from $\text{HOHgO}\cdot + \text{CH}_4$

- van der Waals complex of reactants ($\text{HOHgO}\cdot\cdots\text{C}_2\text{H}_4$)
- Barrier from complex to products lies below reactants

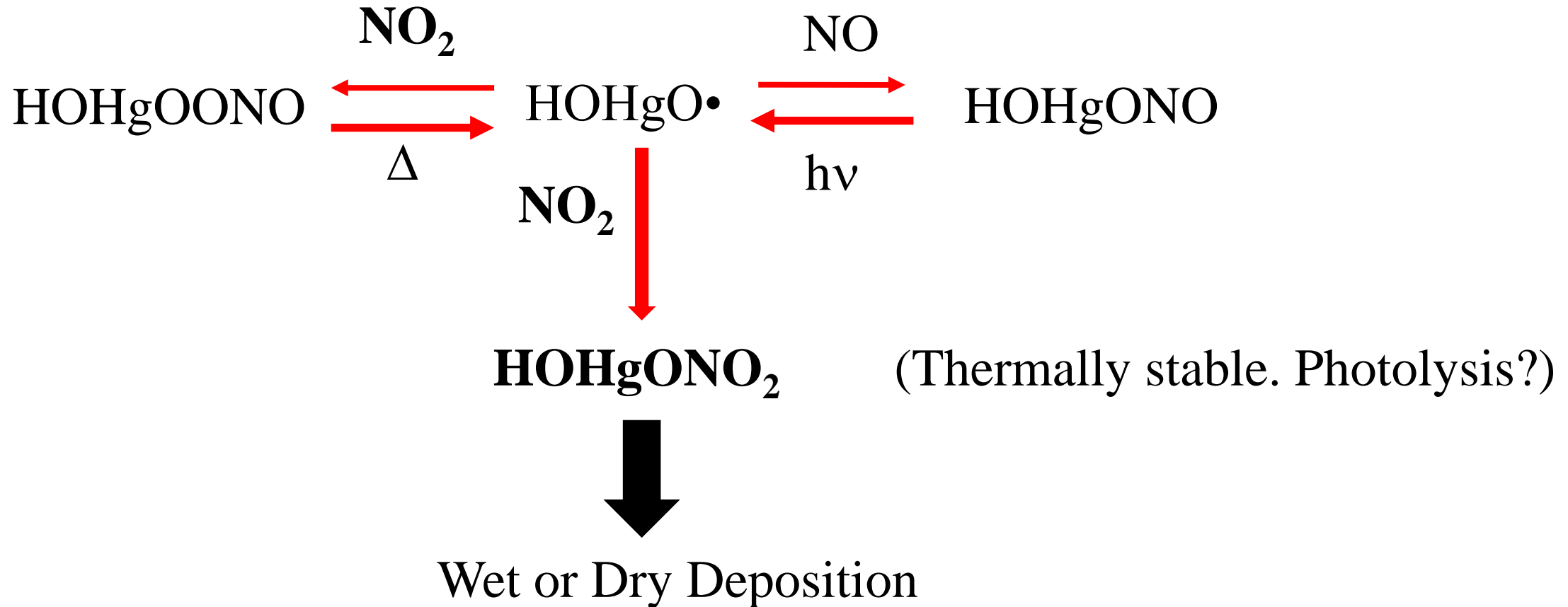
HOHgO• Adds to CH₂=CH₂



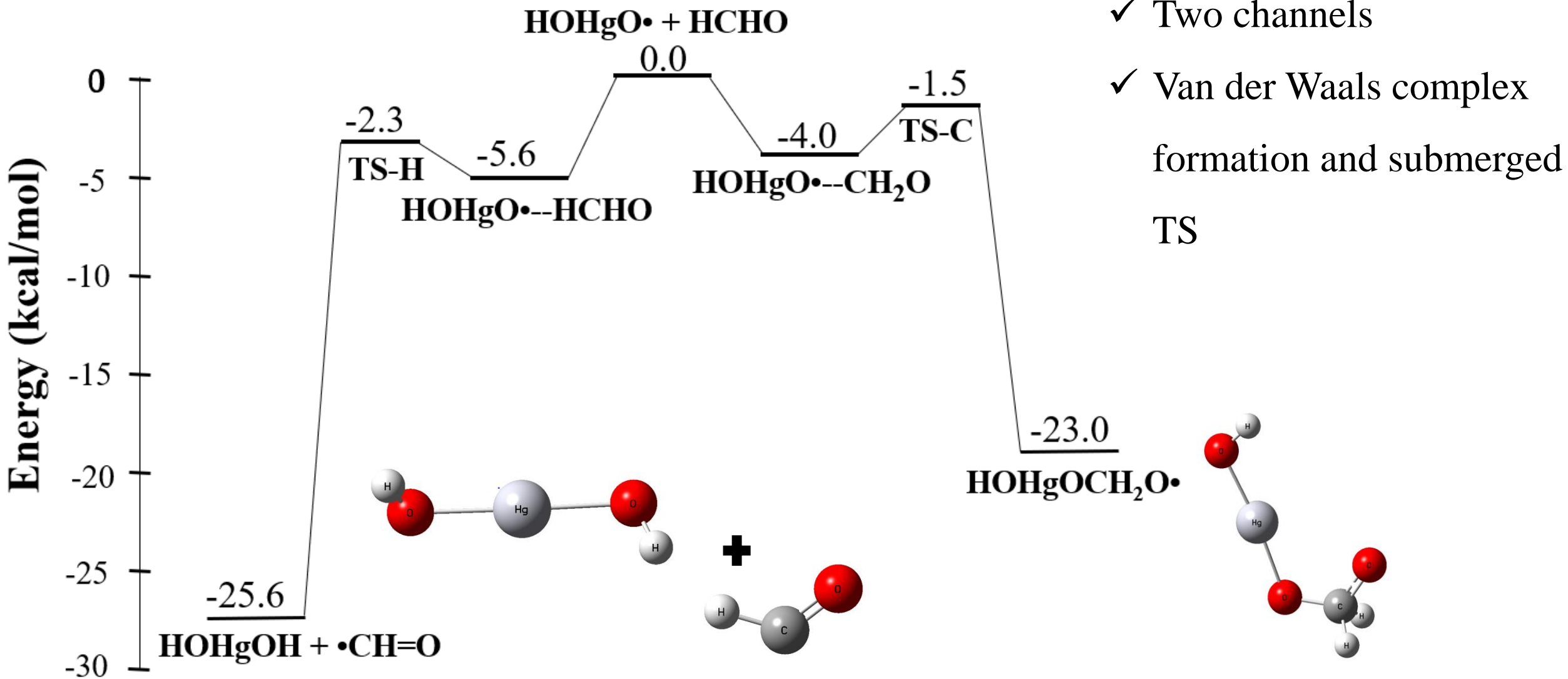


Form bonds with no energy barrier \Rightarrow high-rate constants

$2-3 \times 10^{-11}$ analogous to $\text{CH}_3\text{O}\cdot + \text{NO}_x$



Reaction of HOHgO• with CH₂=O



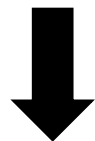


□ $\text{HOHgO}\bullet$ reacts with CO w/o energy barrier (high-rate constants)

□ Reduce Hg(II) to Hg(I)

□ Large uncertainties in rate constant ;

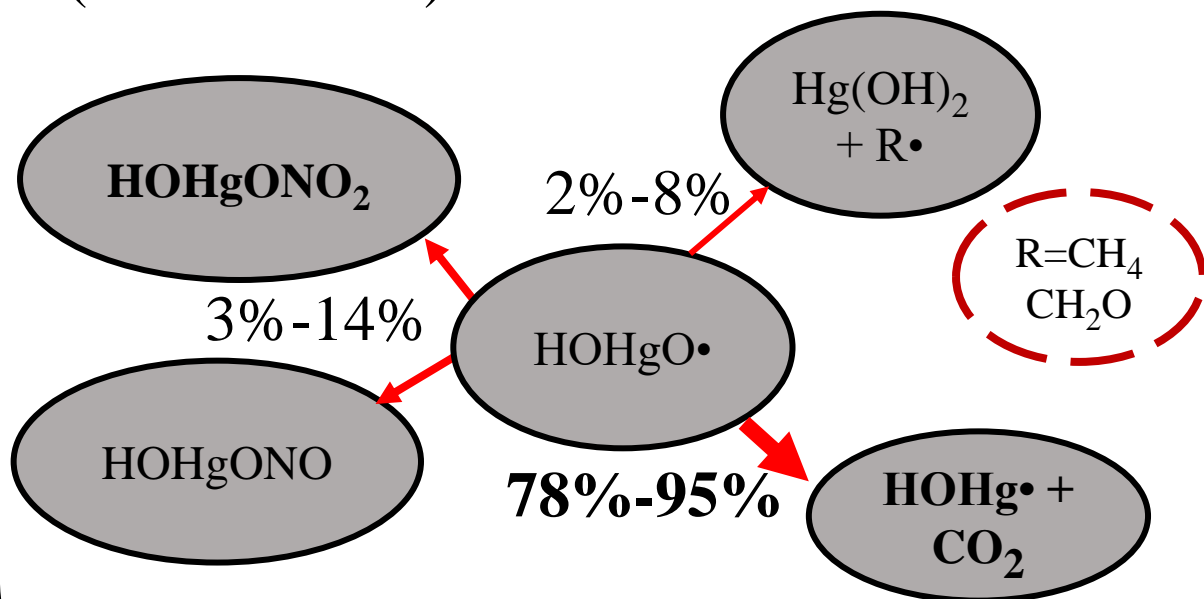
$(5.2 \times 10^{-11} - 9.4 \times 10^{-12} \text{ cm}^3/\text{molecule sec})$ – huge uncertainty kinetics of this reaction



Dissociate back to Hg(0) or react with O_3

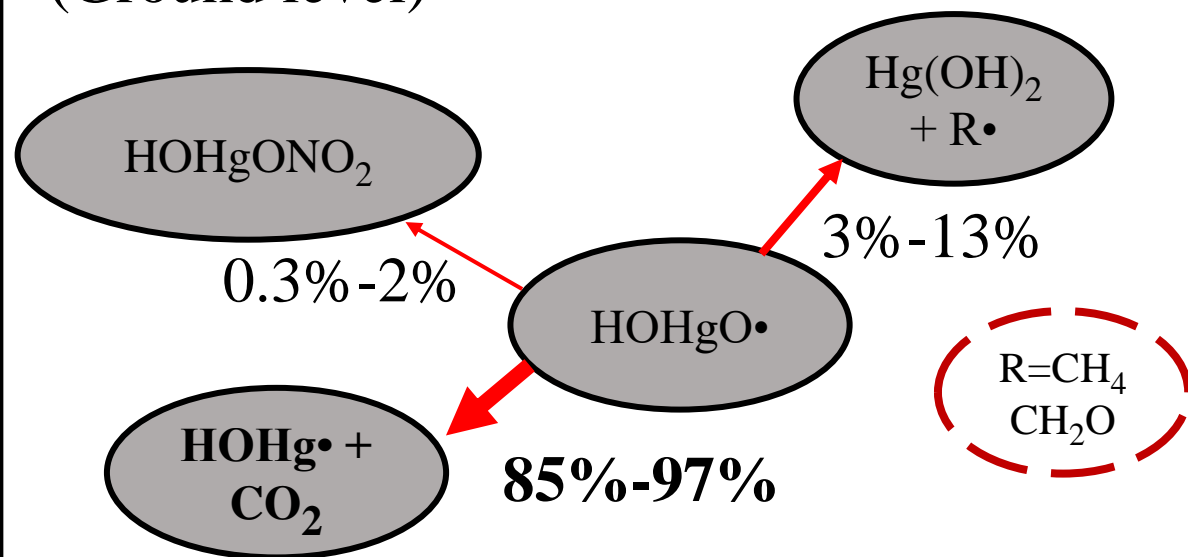
Analysis

Urban air
(Ground level)



Fate of $\text{HOHgO}\cdot$ in an urban air mass (285 K, 1 atm)

Rural air
(Ground level)



Fate of $\text{HOHgO}\cdot$ in a rural air mass (285 K, 1 atm)

Conclusions

- $\text{HOHgO}\bullet + \text{NO}_x \text{ or RH (CH}_2=\text{CH}_2, \text{CH}_2\text{O ?)} \Rightarrow \text{stable Hg(II)}$
- $\text{HOHgO}\bullet + \text{CO} \Rightarrow \text{Hg(II) reduction to Hg(I)}$
- Main fate: reaction with RH and CO

Future Work

- Rate constant for $\text{HOHgO}\bullet + \text{CO}$
- $\text{HOHgO}\bullet + \text{O}_3 \longrightarrow \text{HOHg}\bullet + 2\text{O}_2$

Acknowledgements

Dr. Pedro J. Castro



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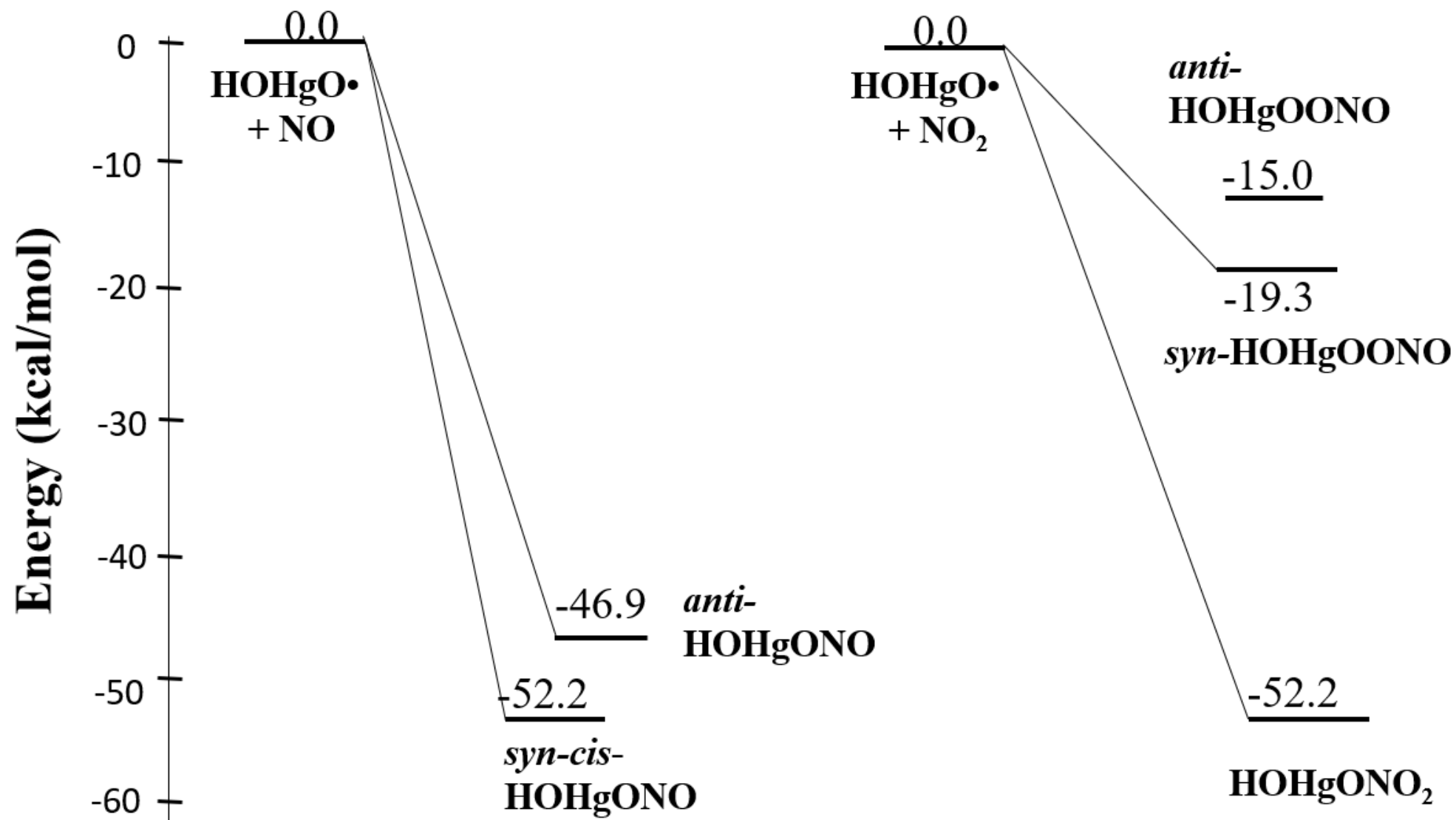
Thank you!

Send me questions at **dthewaed@syr.edu**

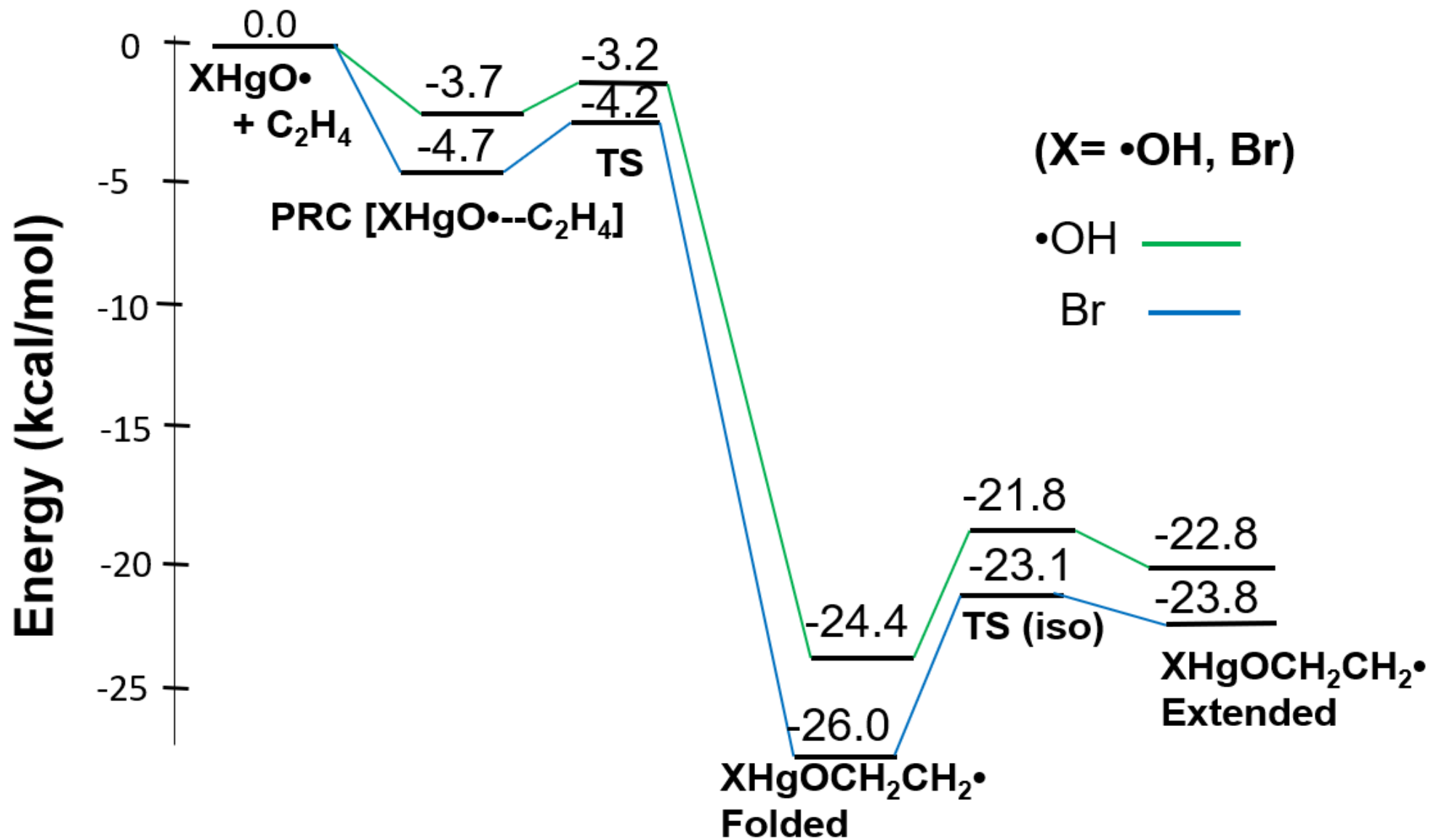
Or via the *ICMGP website*

Details of the Chemistry in the last few
slides and 4 minutes

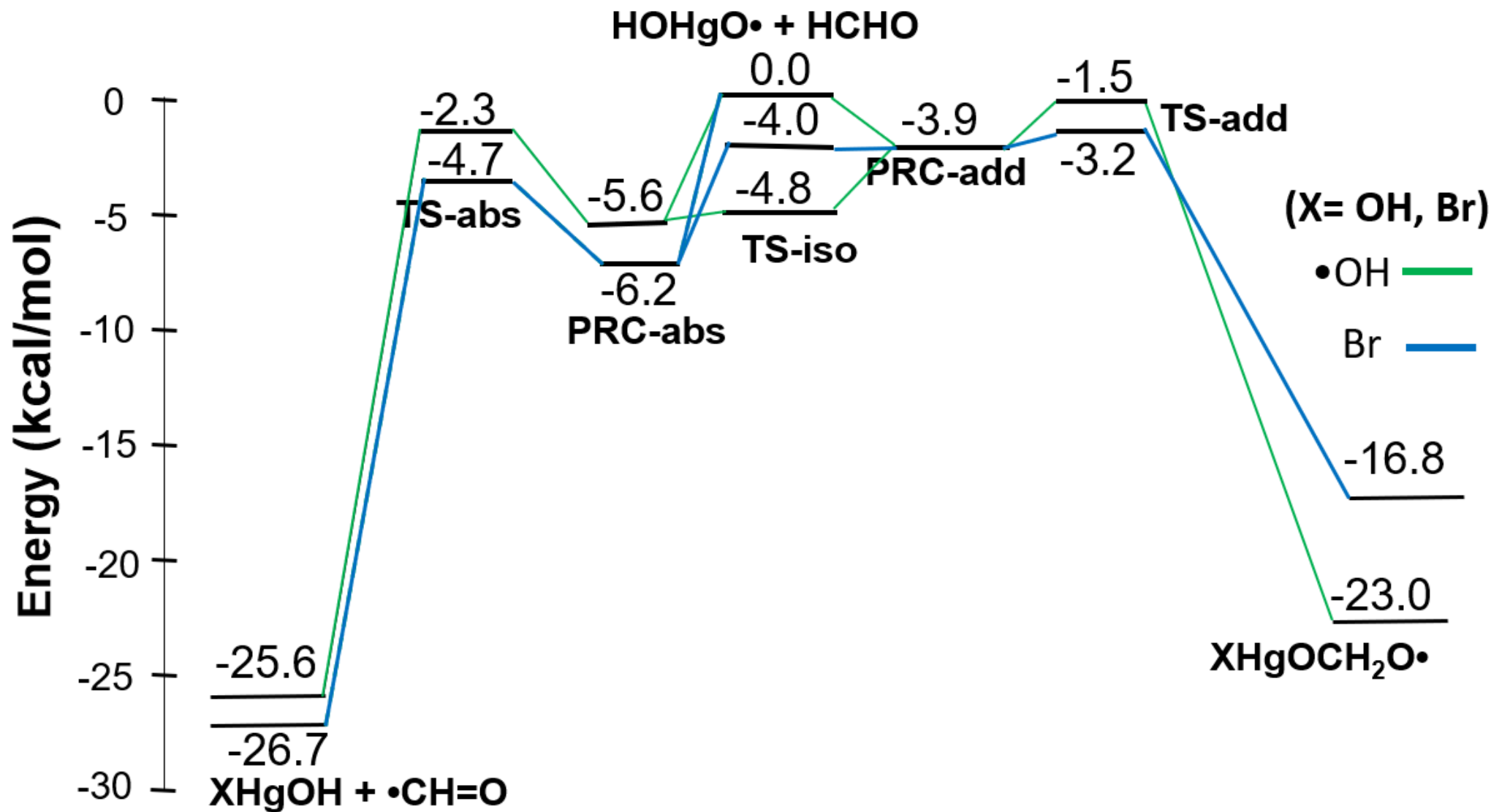
HOHgO• Adds to NO_x w/o a Barrier



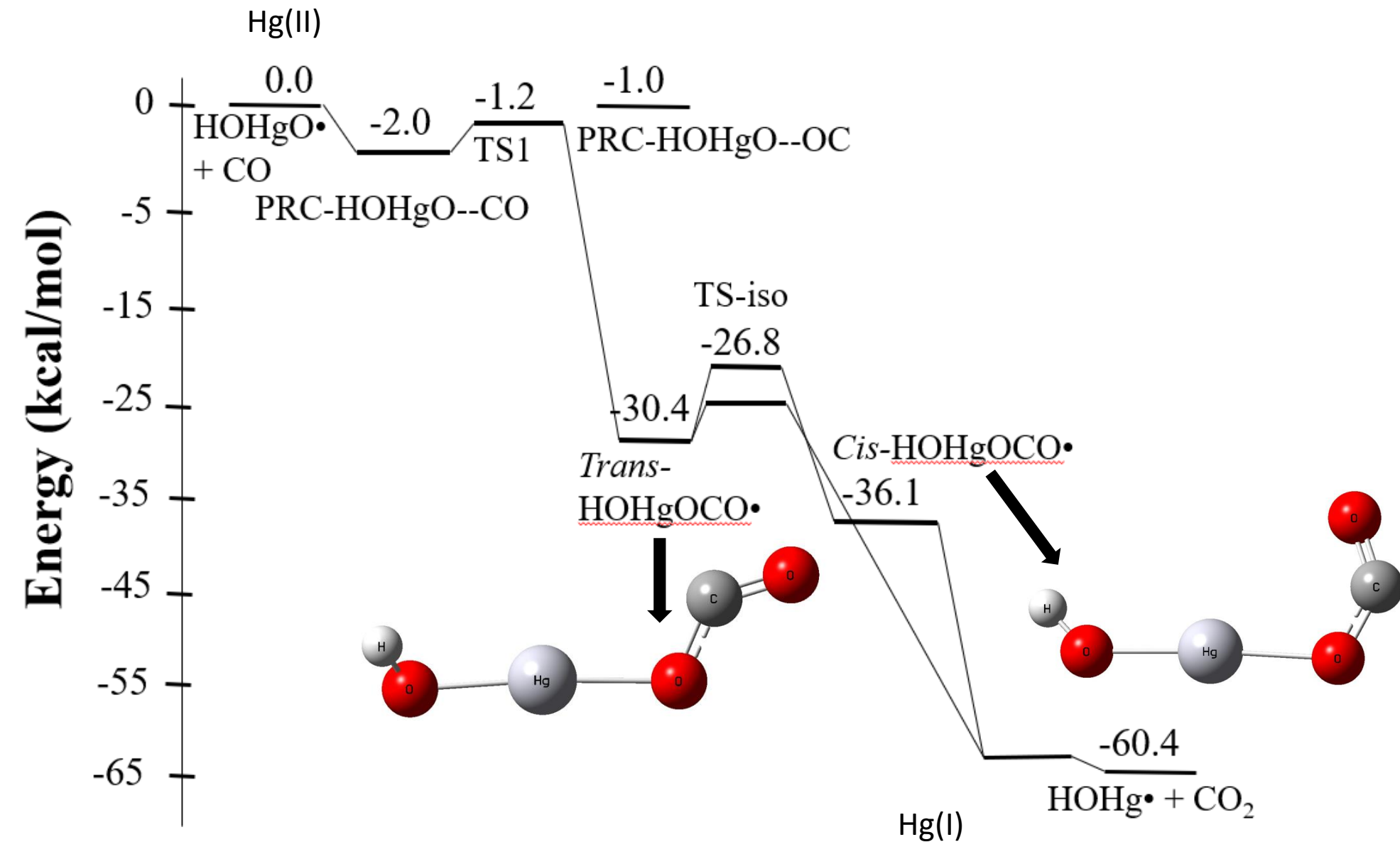
HOHgO• Adds to C₂H₄



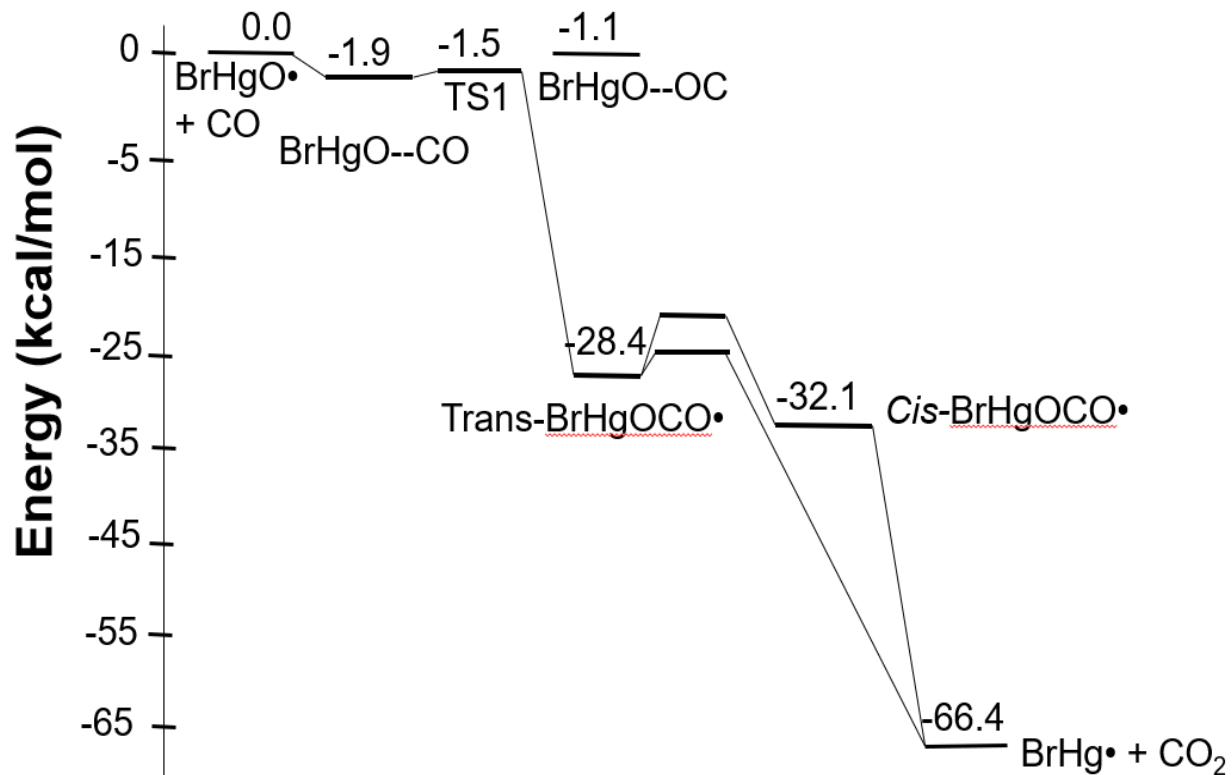
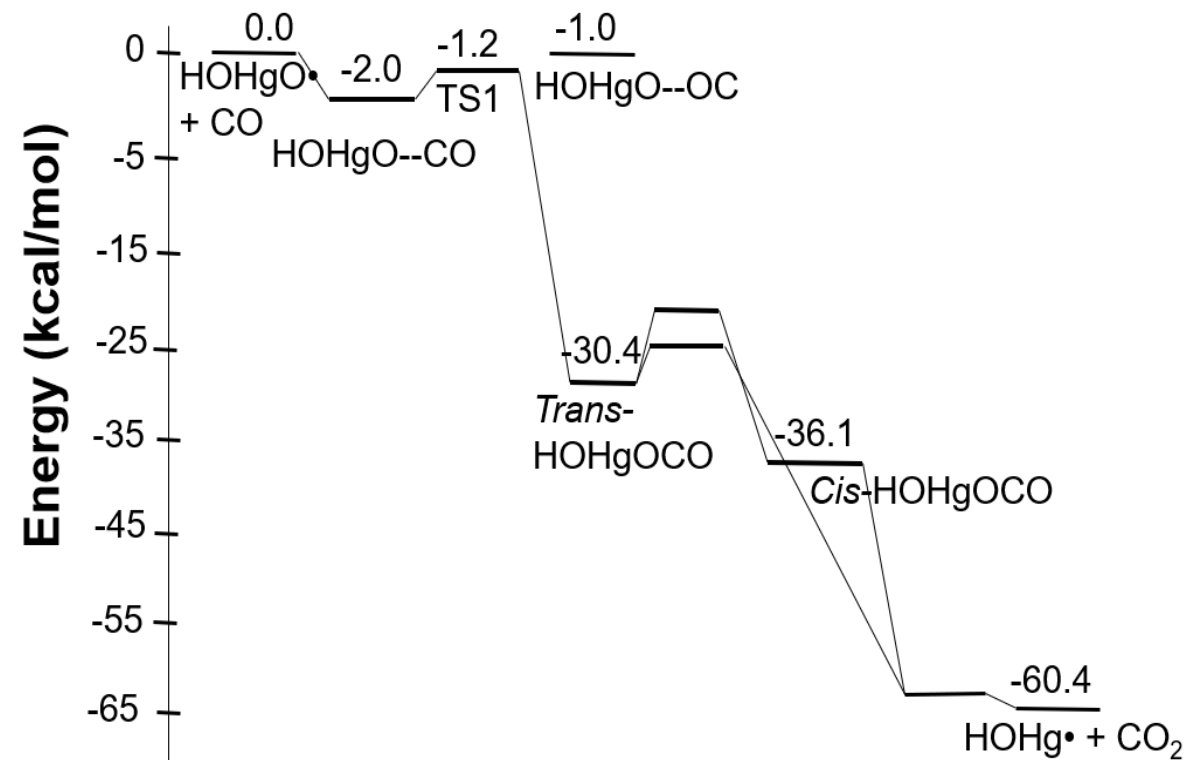
HOHgO• + CH₂=O – Addition and Abstraction



Reaction of HOHgO• with CO




HOHgO• adds to CO



Calculation of k ($\text{HOHgO}\cdot + \text{CH}_4$)

Free energies (G) were calculated from 200K to 325K at 25K intervals

Transition State Theory (TST) with maximum ΔG^\ddagger was used to compute k ,


$$k(TST) = \frac{k_B T}{h C_0} e^{-\frac{\Delta G^\ddagger(T)}{RT}}$$

$\Delta G^\ddagger(T)$ is the maximum free energy along the path

$k_B = 1.3807 \times 10^{-23}$ J/K (Boltzmann's constant)

$h = 6.6262 \times 10^{-34}$ J·s (Planck's constant)

$R = 1.987\text{E-}3$ kcal·mol⁻¹K⁻¹ (Ideal gas constant)

T = temperature in K

C_0 = Number Density (molecules cm⁻³)

Where, $C_0 = 2.46 \times 10^{19} * (298/T)$ molecules cm⁻³